

# Optimal Seamless Phase 2/3 Oncology Trial Designs Based on Probability of Success (PoS)

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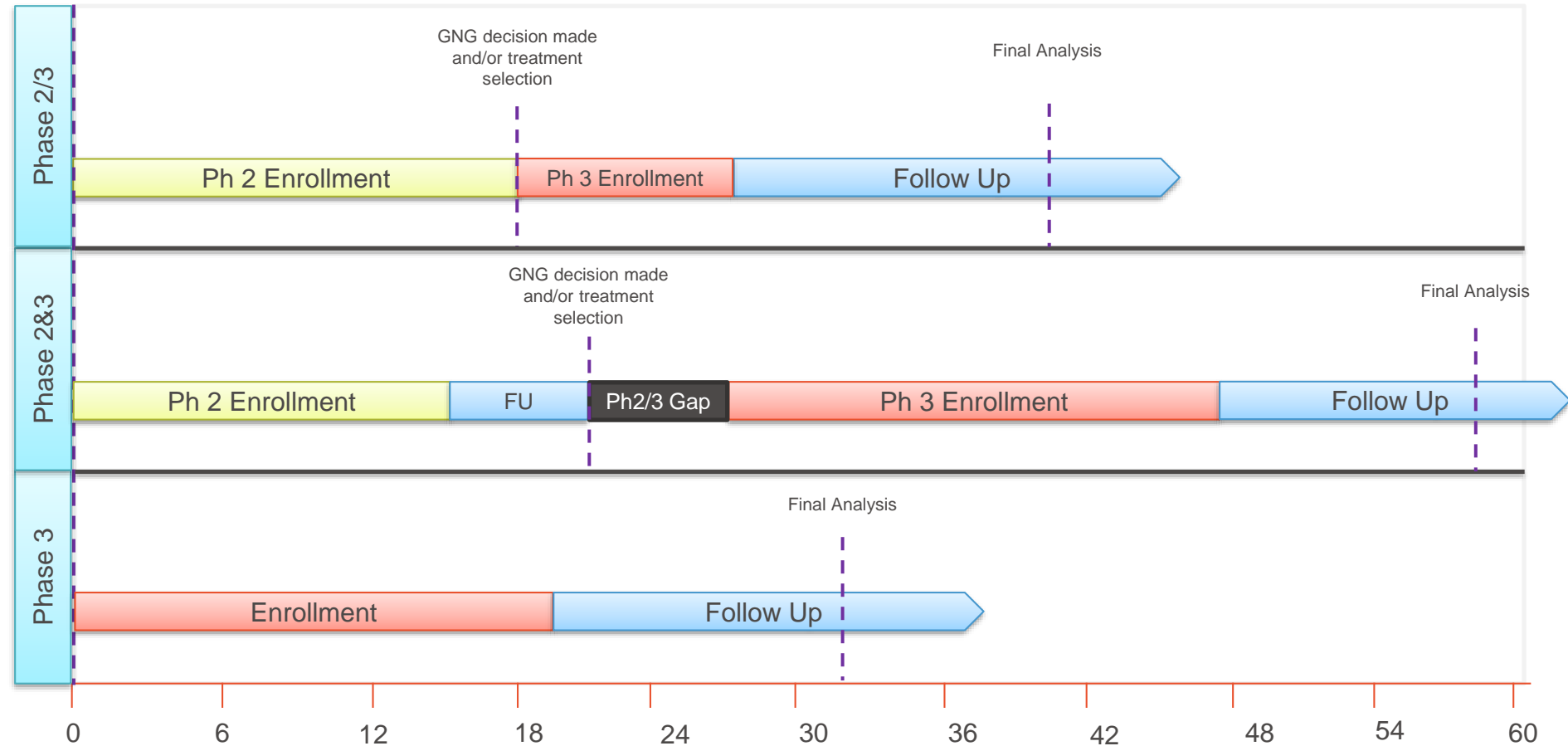
- Introduction
  - Definition and advantages
  - Study design comparison: phase 3, phase 2+phase 3, seamless phase 2/3
  - Motivation
- Methods
  - Notations and Assumptions
  - Probabilities of Success (PoS) used for study design
- Seamless phase 2/3 study designs
  - Phase 2 portion without interim analysis
  - Phase 2 portion with interim analysis
- R Shiny App
- Practical consideration on implementation of seamless phase 2/3 trial

- Seamless phase 2/3 clinical trials are conducted in two stages with Go/No-Go decision or/and treatment selection at the first stage and efficacy confirmation at the second stage.
- Seamless phase 2/3 trials have a few advantages compared to the traditional approaches (phase 3 with 1 FA; phase 2 & 3).
  - Reduce the lead time between phase 2 and phase 3 studies. In practice, the lead time between phase 2 study and phase 3 study is about 6-12 months.
  - Mitigate risk of failed Phase 3 study with prespecified Go/No-Go criteria compared with traditional phase 3 design with only 1 final analysis.
  - Allow us to fully utilize data collected from both stages so that minimize study size because phase 2 patient data contribute to the phase 3 analysis by maintaining the same population and study design between phase 2 and phase 3.

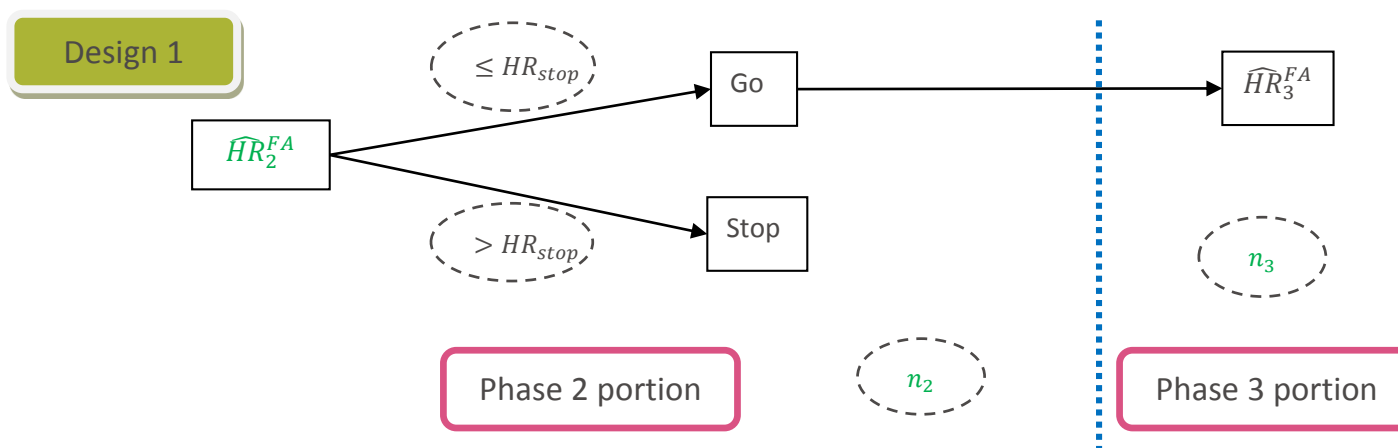
# Study Design Comparison: Seamless Phase 2/3 vs. Phase 2 & 3 vs. Phase 3



FPI



- For simplicity
  - Seamless phase 2/3 oncology trial with a single treatment vs. a control.
  - Go/No-GO decision after phase 2 portion is based on the same endpoint at the final analysis, e.g. Progression Free Survival (PFS)



- Question: how to design a seamless phase 2/3 oncology trial : ( $n_2$ ,  $HR_{stop}$ ,  $n_3$ )
  - How confident of making a right Go/No-Go decision?
  - What is the probability of success for the seamless phase 2/3 program?

- Proportional hazard: HR constant over time
- $\theta = -\log(HR)$ : treatment effect.
- $n_2, n_3$ : the number of events in phase 2 portion and phase 3 portion.
- $\hat{\theta}_2, \hat{\theta}_3$  : estimates of  $\theta$  obtained from the phase 2 portion and phase 3 portion.
  - 1:1 randomization between treatment and control
  - $\hat{\theta}_2 \sim N(\theta, 4/n_2)$ , and  $\hat{\theta}_3 \sim N(\theta, 4/n_3)$
- Number of events  $n_3$  could be calculated based on log-rank test

$$n_3 = \frac{4(z_{1-\alpha/2} + z_{1-\beta})^2}{\theta^2}$$

- $\alpha$  is the two-sided significance level,  $\alpha=0.05$
- $1-\beta$  is the power

- **Goal:** design a seamless phase 2/3 oncology trial ( $n_2$ ,  $HR_{stop}$ ,  $n_3$ )
  - Certain confidence of making a right Go/No-Go decision
  - Ensure sufficient probability of success (Power) for the seamless phase 2/3 program
- Probabilities of Success (PoS) of Interest
  - given an **efficacious** treatment, e.g.,  $HR_{eff} = 0.65$ 
    - $pr(\text{go after phase 2 portion}) = pr(HR_2 \leq HR_{stop} \mid HR_{eff})$
    - $pr(\text{go after phase 2 portion \& successful phase 3})$   
 $= pr(HR_2 \leq HR_{stop}, T_3 > z_{1-\alpha/2} \mid HR_{eff})$
  - given an **inefficacious** treatment, e.g.,  $HR_{ineff} = 1$ 
    - $pr(\text{no-go after phase 2 portion}) = pr(HR_2 > HR_{stop} \mid HR_{ineff})$

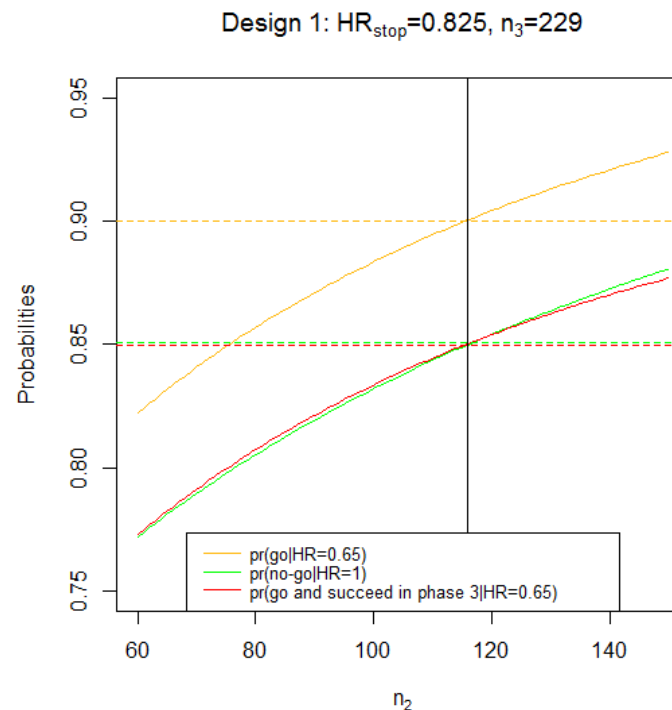
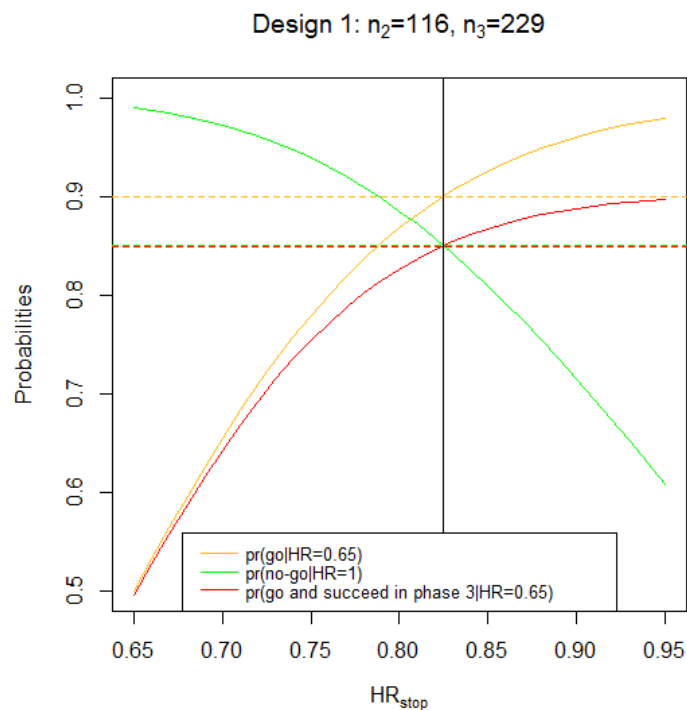
# Seamless Phase 2/3 Study Design: Design 1



- Find the optimal combination of  $(n_2, HR_{stop}, n_3)$  which meet the following criteria
  - Treatment is **efficacious**, e.g.,  $HR_{eff} = 0.65$ 
    - $\text{pr}(\text{go after phase 2 portion}) \geq 90\%$  (a)
    - $\text{pr}(\text{go after phase 2 portion \& successful phase 3}) \geq 85\%$  (b)
  - Treatment is **inefficacious**, e.g.,  $HR_{ineff} = 1$ 
    - $\text{pr}(\text{no-go after phase 2}) \geq 85\%$  (c)
- Utility function:
  - **Option 1**: Earliest timing ( $n_2$ ) for Go/No-Go decision making
  - Option 2: Average sample size ( $n_2, n_3$ )
- Two-step procedure to find  $(n_2, HR_{stop}, n_3)^{opt}$  for **option 1**:
  - Step1: Find the combination  $(n_2, HR_{stop})^{opt}$  with smallest  $n_2$  based on (a) and (c) since both are not impacted by  $n_3$
  - Step 2: Find the optimal/minimal  $(n_3)^{opt}$  to meet (b) given the optimal combination  $(n_2, HR_{stop})^{opt}$  identified from Step 1.



# Design 1: Results



Design 1:

- $n_2=116$
- $HR_{stop}=0.825$
- $n_3=229$

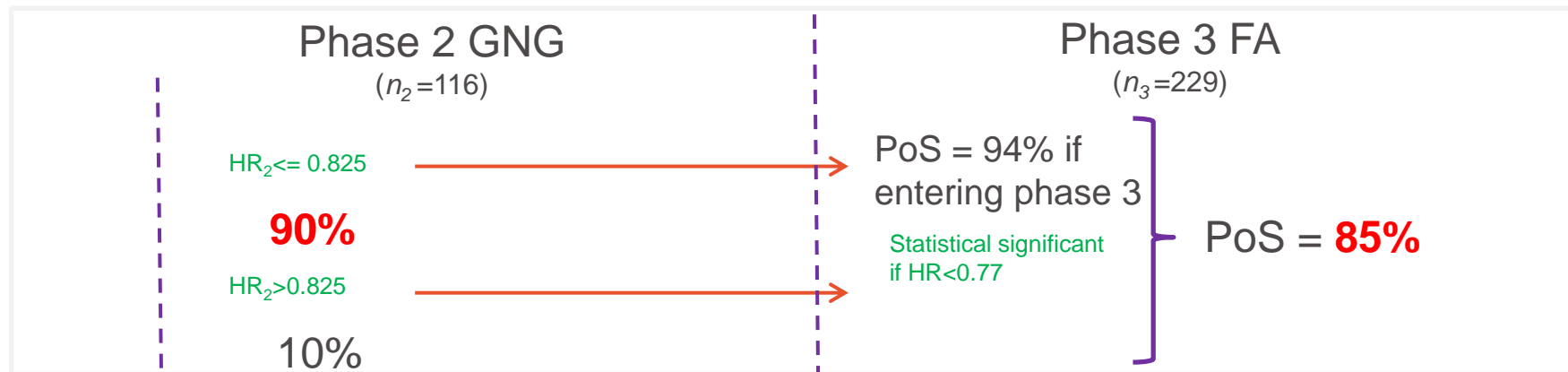
PoS:

- $pr(go|HR_{eff})=90\%$
- $pr(go \text{ \& success } |HR_{eff})=85\%$
- $pr(no-go|HR_{ineff})=85\%$

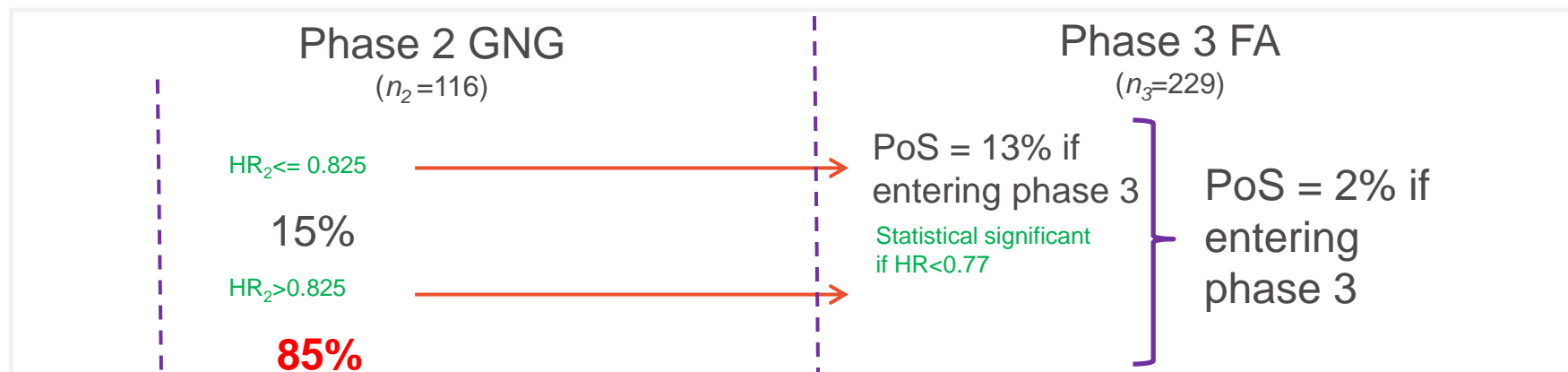
# Design 1: Probability of Success (PoS)



## Under $HR_{eff}=0.65$



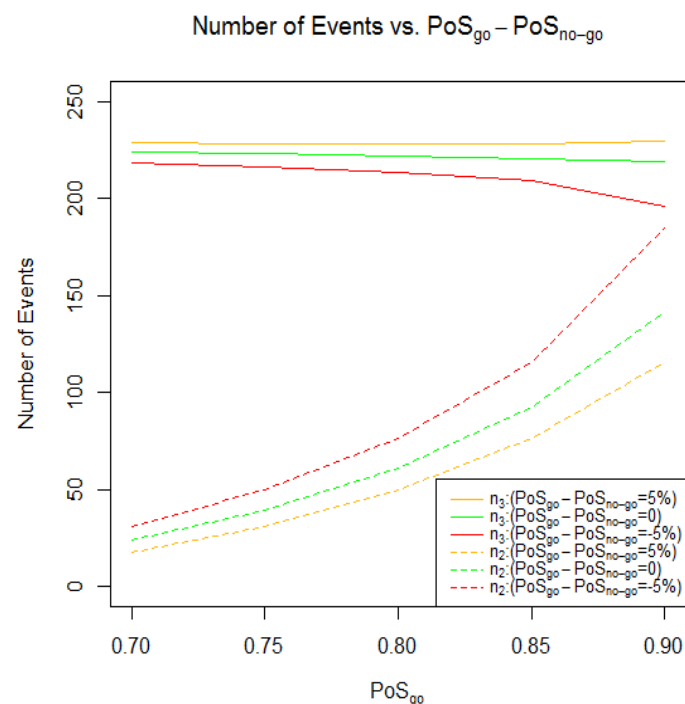
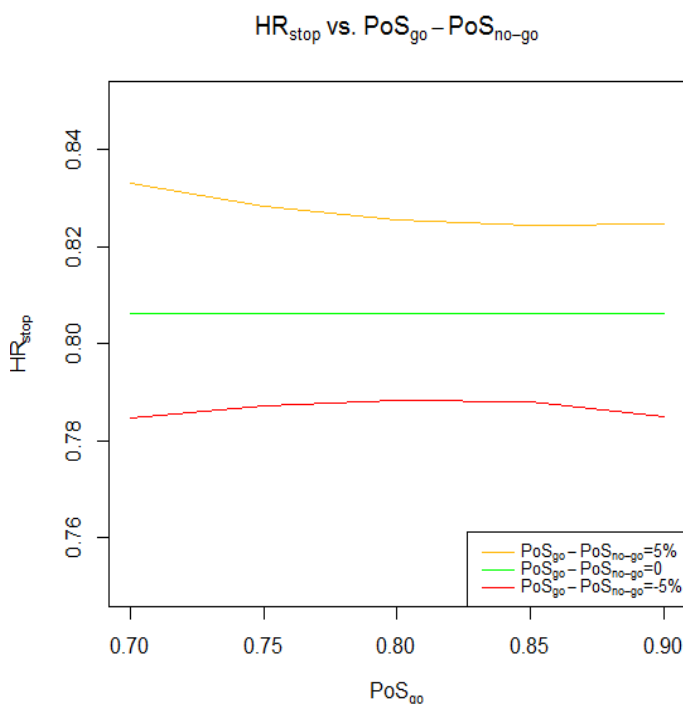
## Under $HR_{ineff}=1$



# Design 1: Operational Characteristics



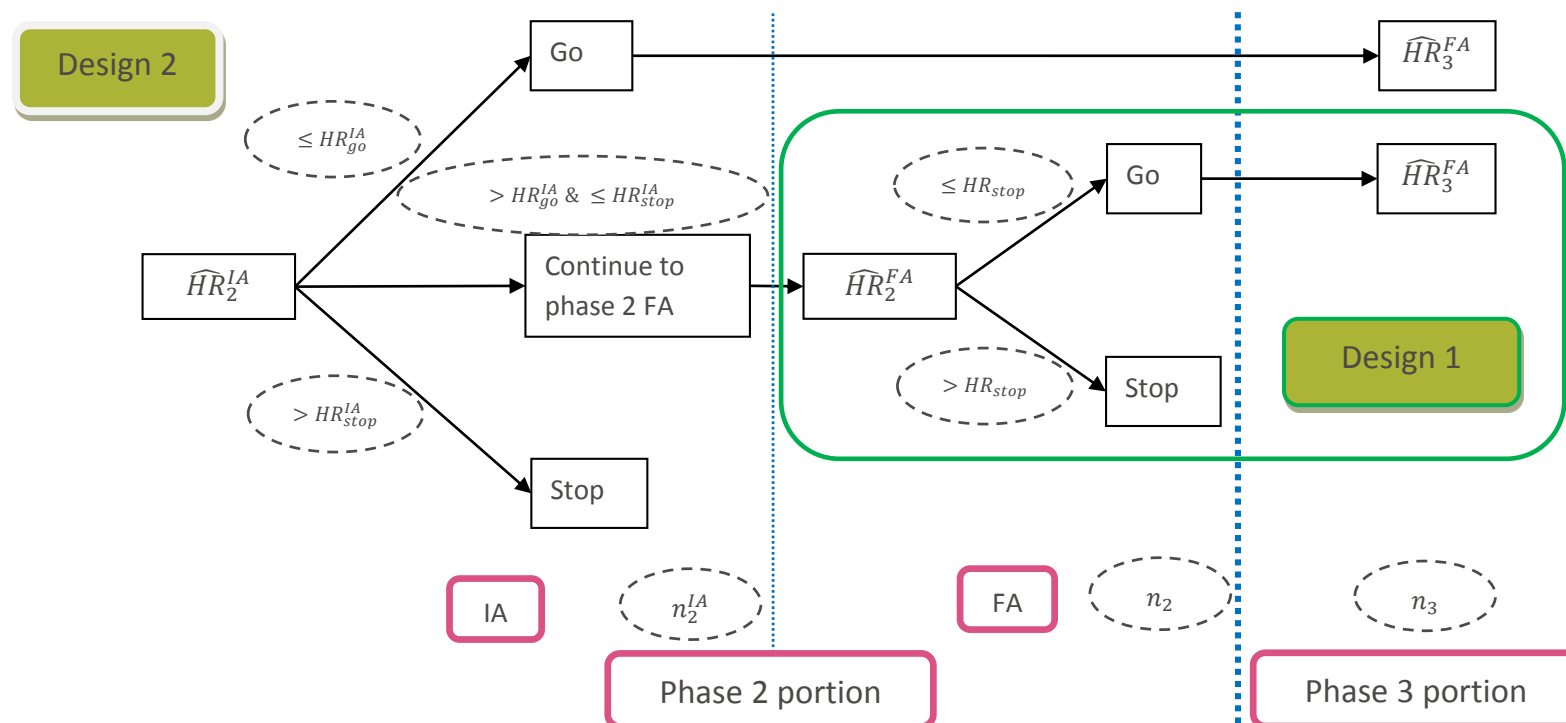
- $HR_{stop}$  is mainly driven by the difference of  $PoS_{go}$  and  $PoS_{no-go}$ .
- $n_2$  is determined by the magnitude of  $PoS_{go}$  and  $PoS_{no-go}$ .
- $n_3$  is driven by  $(n_2, HR_{stop})$  and the difference of  $PoS_{go}$  and  $PoS_{suc}$ .



# Seamless Phase 2/3 Study Design: Design 2



- Usually, sponsor would like to make Go/No-Go decision as early as possible.
- Design 2: phase 2 portion with interim analysis to speed up the Go/No-Go decision making



# Design 2: Probability of Success (PoS) with IA



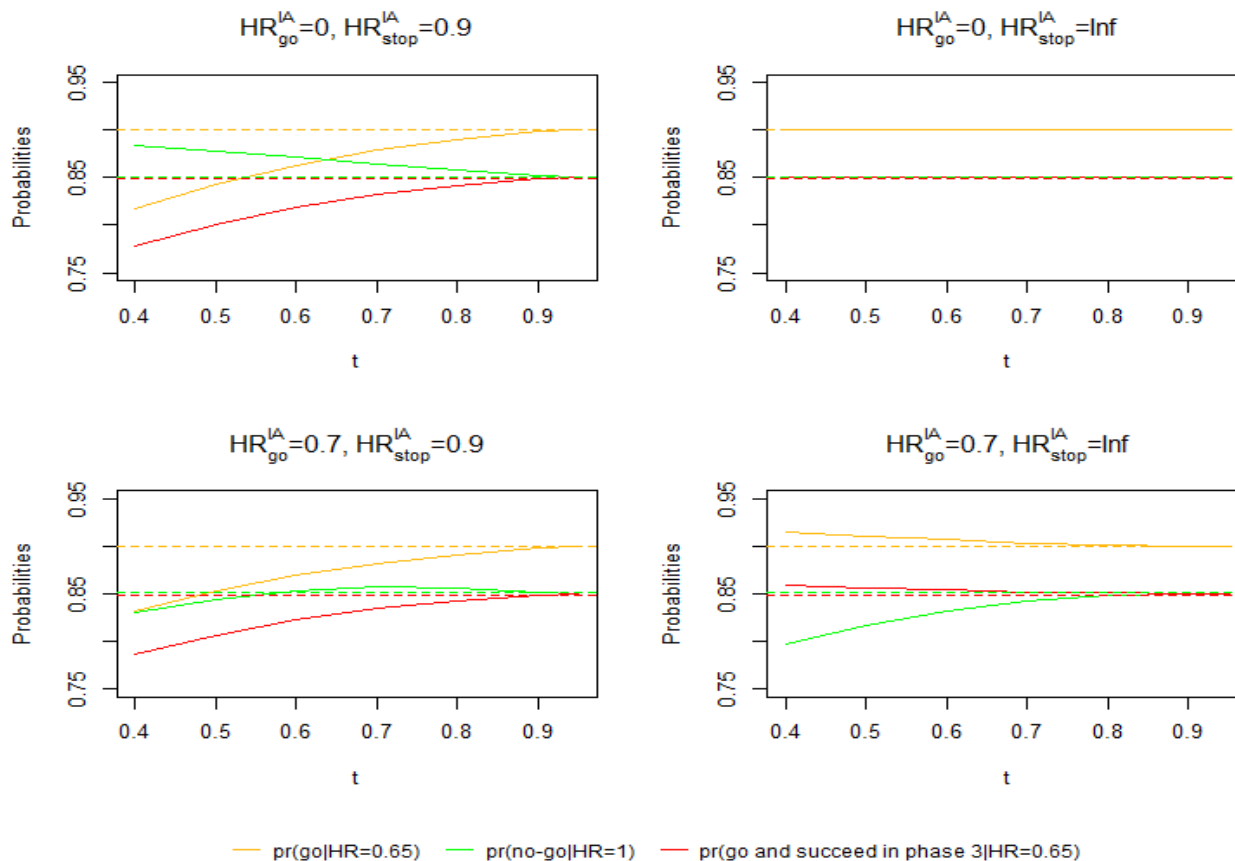
- Probabilities of success (PoS) with IA
  - given an efficacious treatment, e.g.,  $HR_{eff} = 0.65$ 
    - pr(go at either phase 2 IA or FA)
    - pr(go at either phase 2 IA or FA & successful phase 3)
    - pr(go at phase 2 IA)
  - given an inefficacious treatment, e.g.,  $HR_{ineff} = 1$ 
    - pr(no-go at either phase 2 IA or FA)
    - pr(no-go at phase 2 IA)
- **Goal:** find the optimal combination  $(n_2, HR_{stop}, n_3, n_2^{IA}, HR_{go}^{IA}, HR_{stop}^{IA})^{opt}$  which meet the following criteria
  - Treatment is **efficacious**, e.g.,  $HR_{eff} = 0.65$ 
    - pr(go at either phase 2 IA or FA)  $\geq a$
    - pr(go at either phase 2 IA or FA & successful phase 3)  $\geq c$
    - pr(go at phase 2 IA)  $\geq d$
  - Treatment is **inefficacious**, e.g.,  $HR_{ineff} = 1$ 
    - pr(no-go at either phase 2 IA or FA)  $\geq b$
    - pr(no-go at phase 2 IA)  $\geq e$

# Two Step Procedure for Design 2



- Find an optimal design is challenging: six parameters
  - go/no-go decision rule at phase 2 IA
  - go/no-go decision rule at phase 2 FA
  - phase 2 IA time
  - phase 2 number of events
  - Phase 3 number of events
- **Naive** two-step procedure
  - Step 1: find the optimal design under Design 1
    - $n_2, HR_{stop}, n_3$
  - Step 2: find the optimal IA time and go/no-go boundaries at IA given the optimal combination  $(n_2, HR_{stop}, n_3)^{opt}$  identified from Step 1.
    - $n_2^{IA}, HR_{go}^{IA}, HR_{stop}^{IA}$

# Loss of PoS after adding IA at Phase 2



Design 1:

- pr(go)=90%
- pr(go & success)=85%
- pr(no-go)=85%

- There will be a certain extent of loss in PoS for at least one of three as long as go or/and no-go decision are allowed at phase 2 IA

- Three-step procedure for Design 2:

- Step1: Find the optimal combination  $(n_2, HR_{stop})^{opt}$  with smallest  $n_2$  according to step 1 of Design 1 which meets the following criteria by assuming no interim analysis planned at phase 2 portion:

$$PoS'_{go} \geq a'; PoS'_{no-go} \geq b'$$

where  $a' > a, b' > b$  are the inflated boundaries for each PoS. And  $im_a = a' - a$  and  $im_b = b' - b$  are defined as inflated margin.

- Step2: Find combination  $(n_2^{IA}, HR_{go}^{IA}, HR_{stop}^{IA})^{opt}$  with smallest  $n_2^{IA}$  which meets the following criterion with the optimal combination  $(n_2, HR_{stop})^{opt}$  identified from Step 1.

$$PoS_{go} \geq a; PoS_{no-go} \geq b, PoS_{go}^{IA} \geq d, PoS_{no-go}^{IA} \geq e$$

- Step 3: Find optimal/minimal  $(n_3)^{opt}$  to meet the following criterion with the optimal combination  $(n_2, HR_{stop}, n_2^{IA}, HR_{go}^{IA}, HR_{stop}^{IA})^{opt}$  identified from Step 1 and Step 2.

$$PoS_{suc} \geq c$$



# Three-Step Procedure for Design 2

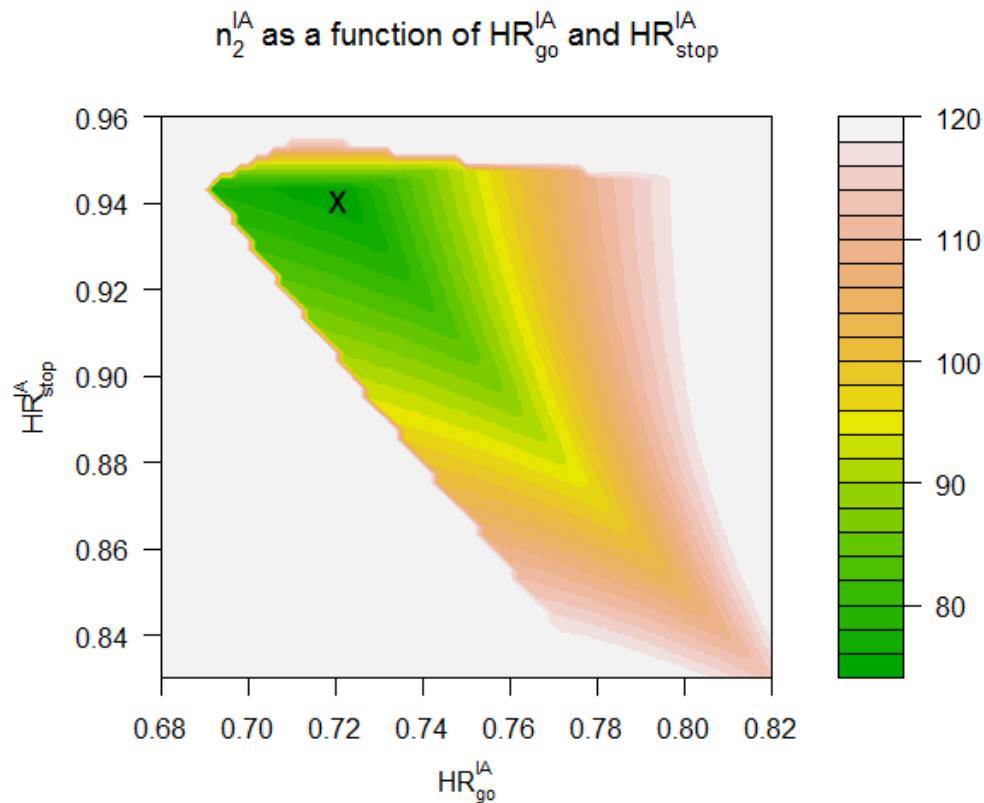


- PoS boundaries of Design 2 are selected as follows:  
 $PoS_{go} \geq 90\%$ ,  $PoS_{no-go} \geq 85\%$ ,  $PoS_{suc} \geq 85\%$ ,  $PoS_{go}^{IA} \geq 60\%$ ,  $PoS_{no-go}^{IA} \geq 60\%$
- Three-Step Procedure with inflated margin of  $im_a = im_b = 0.015$ :
  - Step1: To achieve  $PoS_{go} \geq 91.5\%$ ,  $PoS_{no-go} \geq 86.5\%$  with smallest  $n_2$ , the optimal combination  $(n_2, HR_{stop})^{opt} = (132, 0.825)$ .
  - Step2: With the optimal combination  $(n_2, HR_{stop})^{opt} = (132, 0.825)$  identified from step 1, the optimal combination  $(n_2^{IA}, HR_{go}^{IA}, HR_{stop}^{IA})^{opt} = (75, 0.721, 0.942)$  which meets all following criteria and gives earliest phase 2 portion interim timing.  
 $PoS_{go} \geq 90\%$ ,  $PoS_{no-go} \geq 85\%$ ,  $PoS_{go}^{IA} \geq 60\%$ ,  $PoS_{no-go}^{IA} \geq 60\%$
  - Step 3: The optimal/minimal  $(n_3)^{opt} = 230$  to meet the criterion of  $PoS_{suc} \geq 85\%$  with the optimal combination  $(n_2, HR_{stop}, n_2^{IA}, HR_{go}^{IA}, HR_{stop}^{IA})^{opt} = (132, 0.825, 75, 0.721, 0.942)$ .
- Thus, the final optimal study design with an IA at phase 2 portion is  $(n_2, n_3, HR_{stop}, n_2^{IA}, HR_{go}^{IA}, HR_{stop}^{IA})^{opt} = (132, 230, 0.825, 75, 0.721, 0.942)$ .

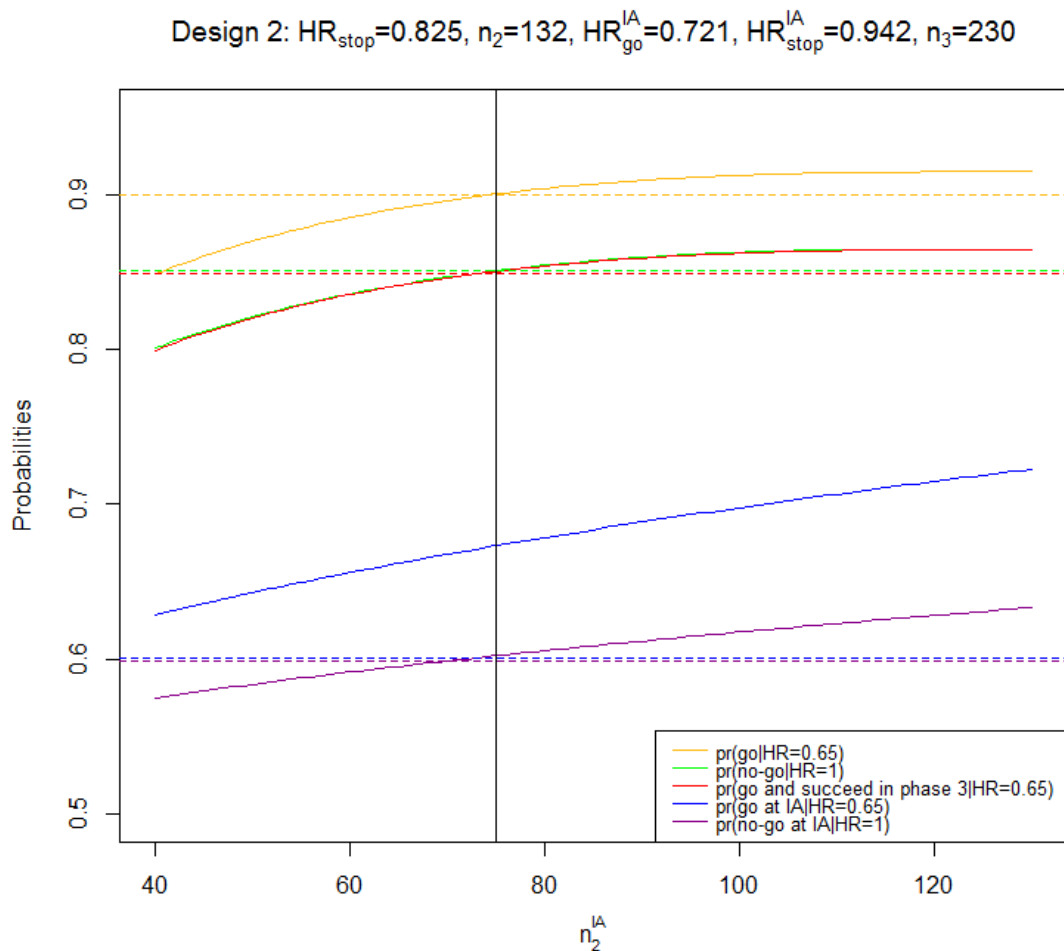
Why  $(n_2^{IA}, HR_{go}^{IA}, HR_{stop}^{IA})^{\text{opt}} = (75, 0.721, 0.942)$ ?



- Optimal phase 2 portion IA go/no-go boundaries, cross (x) in the figure represents the point of smallest  $n_2^{IA}$



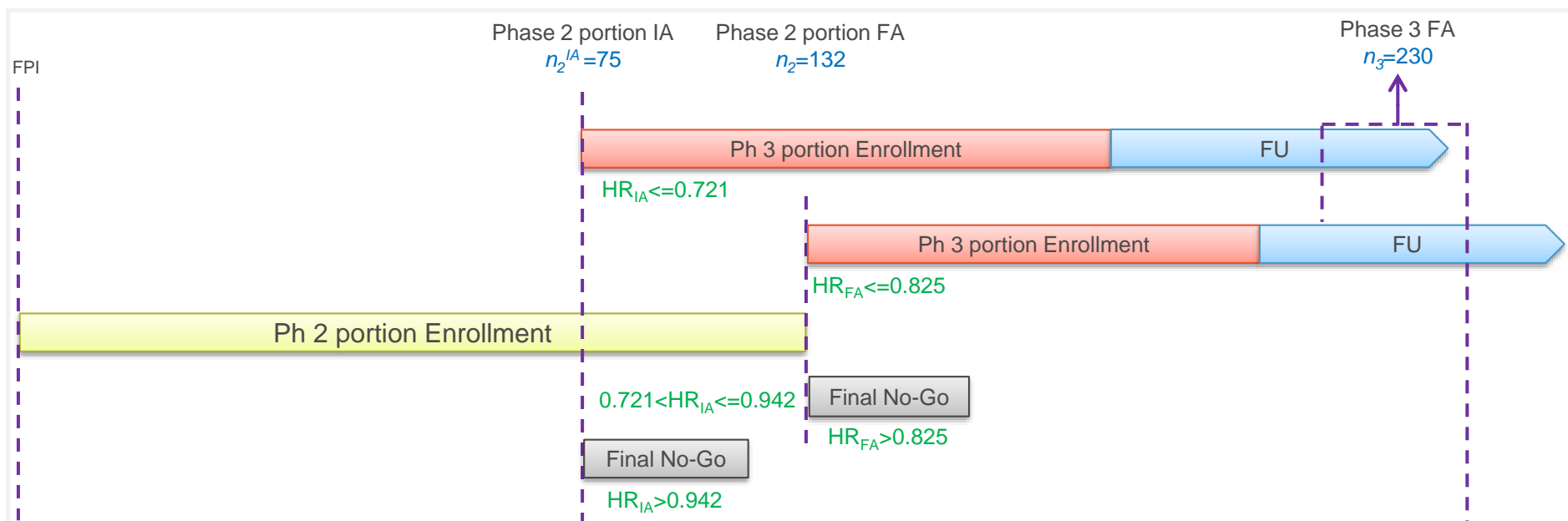
# Design 2: PoS with Optimal Design



# Seamless Phase 2/3 Study Design: Design 2



- Probability of Success(PoS):
  - $\text{pr}(\text{go at either phase 2 IA or FA} \mid \text{HR}_{\text{eff}}) = 90\%$
  - $\text{pr}(\text{go at either phase 2 IA or FA \& successful phase 3} \mid \text{HR}_{\text{eff}}) = 85\%$
  - $\text{pr}(\text{no-go at either phase 2 IA or FA} \mid \text{HR}_{\text{ineff}}) = 85\%$
  - $\text{pr}(\text{go at phase 2 IA} \mid \text{HR}_{\text{eff}}) = 67\%$
  - $\text{pr}(\text{no-go at phase 2 IA} \mid \text{HR}_{\text{ineff}}) = 60\%$



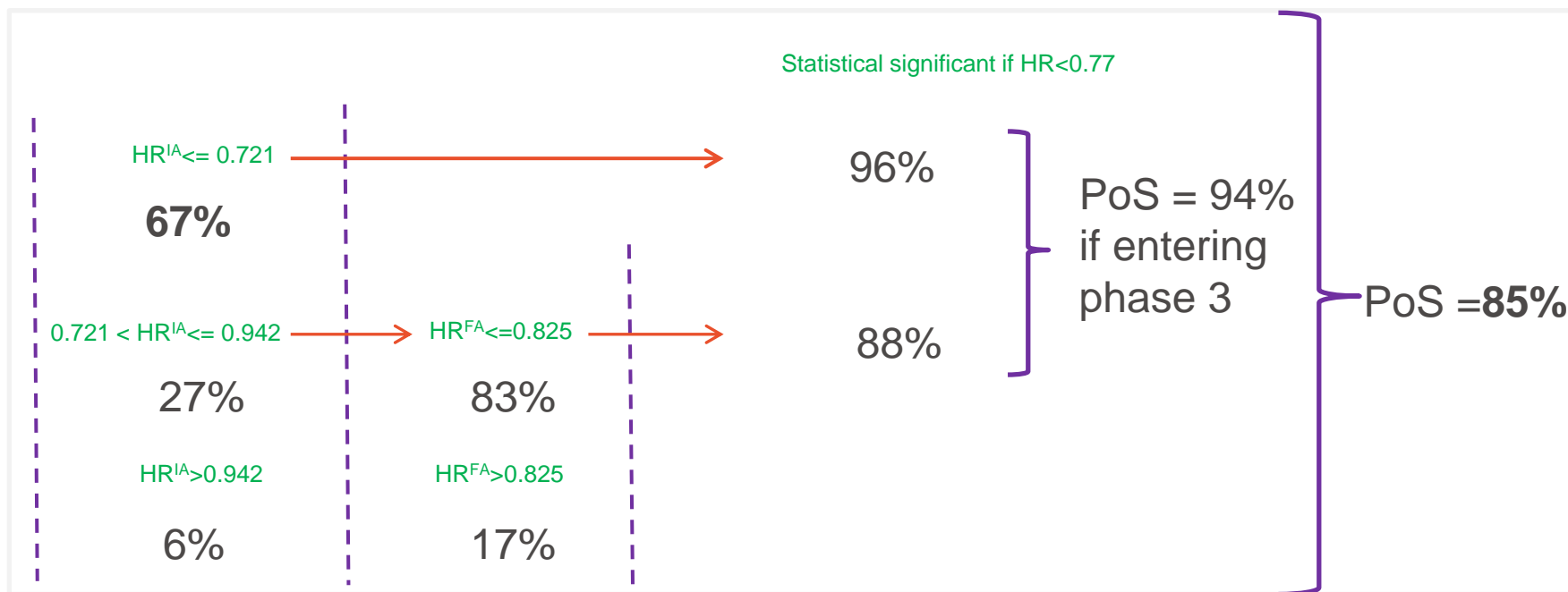
# Design 2: Probability of Success with true $HR_{eff}=0.65$



Phase 2 IA  
( $n_2^{IA}=75$ )

Phase 2 FA  
( $n_2=132$ )

Phase 3 FA  
( $n_3=230$ )



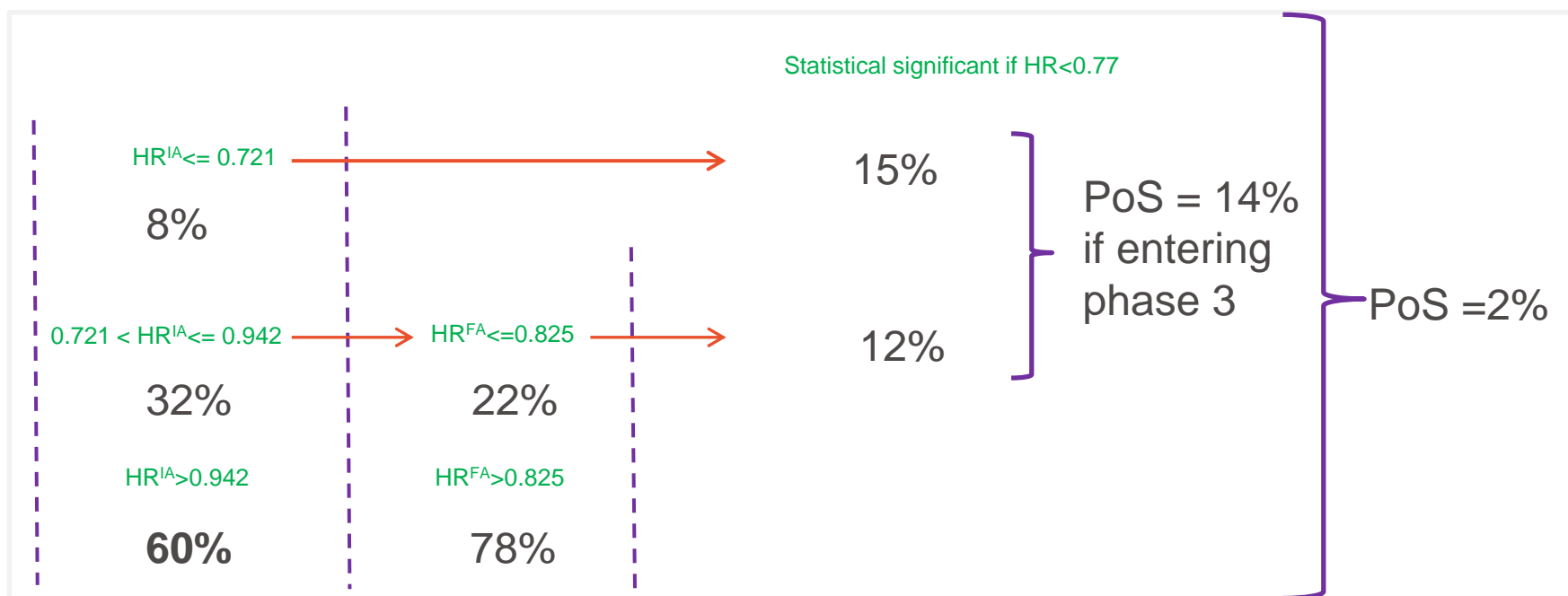
# Design 2: Probability of Success with true $HR_{ineff}=1$



Phase 2 IA  
( $n_2^{IA}=75$ )

Phase 2 FA  
( $n_2=132$ )

Phase 3 FA  
( $n_3=230$ )



## Design 2: How to Select Inflated Margin?



Scenario	PoS Boundaries			Optimal Study Design					
	Inflated margin	$Pos'_{go}$	$Pos'_{no-go}$	$n_2$	$HR_{stop}$	$n_2^{IA}$	$HR_{go}^{IA}$	$HR_{stop}^{IA}$	$n_3$
<b>1 (Design 1)</b>	0	0.85	0.90	<b>116</b>	0.825				229
<b>2</b>	0.005	0.855	0.905	<b>121</b>	0.825	<b>85</b>	0.718	0.946	230
<b>3</b>	0.01	0.86	0.91	<b>127</b>	0.825	<b>79</b>	0.720	0.944	230
<b>4</b>	0.015	0.865	0.915	<b>132</b>	0.825	<b>75</b>	0.721	0.942	230
<b>5</b>	0.02	0.87	0.92	<b>138</b>	0.826	<b>72</b>	0.722	0.941	230
<b>6</b>	0.025	0.875	0.925	<b>145</b>	0.826	<b>69</b>	0.723	0.940	230
<b>7</b>	0.03	0.88	0.93	<b>152</b>	0.826	<b>67</b>	0.724	0.939	230

- Trade-off between  $n_2$  and  $n_2^{IA}$ : smaller  $n_2$  leading to larger  $n_2^{IA}$ , and vice versa.
- Recommend the design with the ratio of  $n_2^{IA}$  to  $n_2$  between 0.5 and 0.7 which usually can avoid the cases of too small  $n_2^{IA}$  and/or too large  $n_2$ .

# Comparison of Design 1 and Design 2



Scenario	PoS under Optimal Study Designs					Average Number of Events			
	$PoS_{go}$	$PoS_{no-go}$	$PoS_{go}^{IA}$	$PoS_{no-go}^{IA}$	$PoS_{suc}$	$\bar{n}_{2eff}$	$\bar{n}_{2ineff}$	$\bar{n}_{2/3eff}$	$\bar{n}_{2/3ineff}$
<b>1 (Design 1)</b>	0.90	0.85	<b>0</b>	<b>0</b>	0.85	116	116	218	133
<b>2</b>	0.90	0.85	<b>0.68</b>	<b>0.60</b>	0.85	95	97	217	116
<b>3</b>	0.90	0.85	<b>0.68</b>	<b>0.60</b>	0.85	92	95	217	113
<b>4</b>	0.90	0.85	<b>0.67</b>	<b>0.60</b>	0.85	91	93	216	112
<b>5</b>	0.90	0.85	<b>0.67</b>	<b>0.60</b>	0.85	90	93	216	112
<b>6</b>	0.90	0.85	<b>0.67</b>	<b>0.60</b>	0.85	89	92	216	112
<b>7</b>	0.90	0.85	<b>0.67</b>	<b>0.60</b>	0.85	89	93	216	112

- Smaller number of events is needed to make go/no-go decision in Design 2.
- Smaller number of events for phase 2/3 program under inefficacious treatment effect is needed in Design 2.
- Number of events for phase 2/3 program under efficacious treatment effect are comparable between Design 1 and Design 2.



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### Options and Parameters

Choose a design

Design 1

Efficacious HR

0.65

Inefficacious HR

1

Ratio  $r$  (TRT vs CTR)

1

Type I error rate  $\alpha$

0.025

### Set boundaries for probabilities of interest

With an efficacious TRT,

- Prob of go after phase II 

0.9
- Prob of both phase II & III success 

0.85

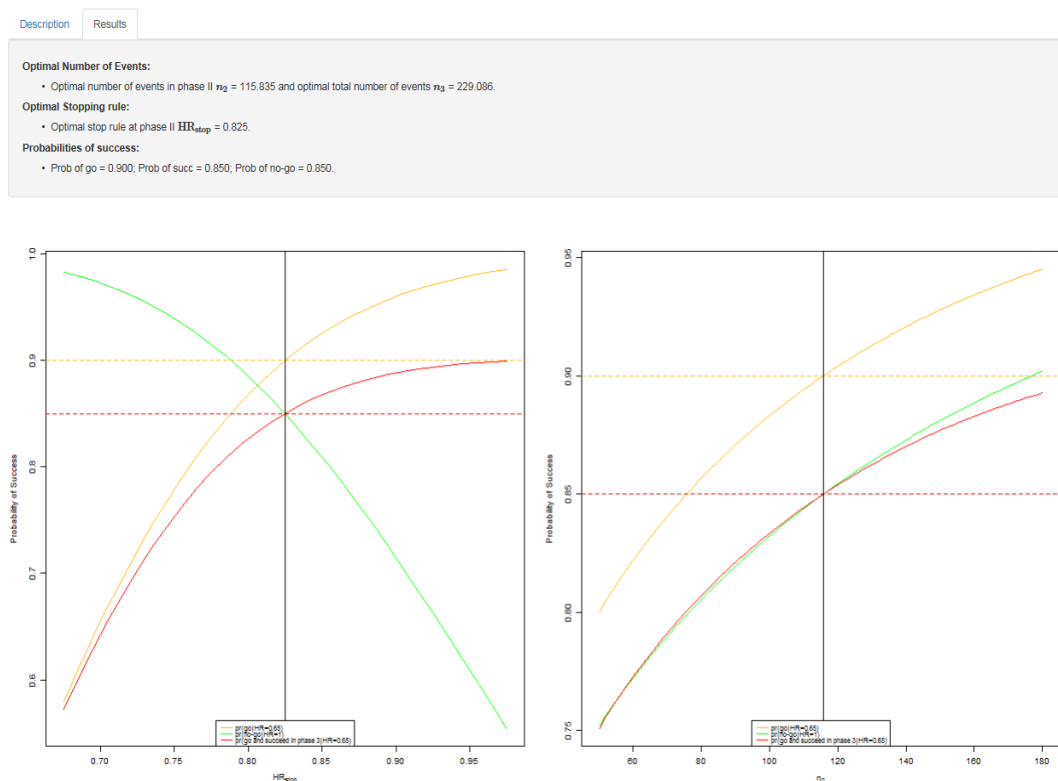
With an inefficacious TRT,

- Prob of no-go after phase II 

0.85

Get optimal design

The optimization procedure may take several minutes. Please wait patiently.



# Practical Considerations on Implementation of Seamless Phase 2/3 Oncology Trial



- What is the difference between seamless phase 2/3 oncology trial and group sequential oncology trial with futility analysis?
  - Enrolment is usually completed at the futility analysis for group sequential oncology trial, but not recommended for seamless phase 2/3 trial.
  - Have chance to claim efficacy at the “futility” analysis as well for group sequential oncology trial, but not the intention of phase 2 portion of seamless phase 2/3 oncology trial.
- Consideration on enrollment
  - Challenge: enrollment completed before accumulating target number of events for go/no-go decision making.
  - Solutions:
    - 1. Control the enrollment rate of phase 2 portion (slow) and phase 3 portion
    - 2. Set a cap for number of patients for phase 2 portion
    - 3. Enrollment pause at either IA or FA of phase 2 portion
  - More patients are needed if OS benefit is important in addition to PFS
    - Slowing down enrollment rate at phase 2 portion can effectively prevent exposing large number of patients (for OS) to investigational treatment before the efficacy is proven.

- The proposed method provides an informative way to design seamless phase 2/3 oncology trials using PoS
  - Calculation of phase 2 and phase 3 sample size.
  - Determination of GNG boundaries.
- Interim analysis could be considered to add on phase 2 portion to speed up the GNG decision making process.
  - Smaller N to make go/no-go decision.
  - Smaller N for phase 2/3 program under inefficacious treatment effect; comparable under efficacious treatment effect between Design 1 and 2.
- With proposed study design (Design 1, Design 2), we are clear on
  - How confident of making a right Go/No-Go decision.
  - What is the probability of success for the seamless phase 2/3 program.
- Implement proposed study design using R Shiny App.

- **Teng Z**, Liang L, Liu G, Liu Y. *Optimal Seamless Phase 2/3 Oncology Trial Designs Based on Probability of Success (PoS)*. Stat in Med. Aug 2018.

Thank you!