

Background

Process data → event logs:

Event	Case ID	Activity	Date / time
	YV	Plane	2022-09-05 10:25
	YV	Airport	2022-09-05 19:50
	YV	SDSS	2022-09-05 20:25

From an unfinished case (**prefix**), we need to predict the remaining events (**suffix**). We use a Conditional WGAN with "**crowding**" information to do so.

Definitions

In a log:

- U: space of units (= cases)
- T: space of recorded times
- A: space of possible activities

Event: $e = (u, t, t', a)$, $u \in U$, $t < t' \in T$, $a \in A$.
 Let said log contain n events with $i = 1, \dots, n$:

$$act(u, t) = \left\{ e_4^{(i)} ; (u_i = u) \wedge (t \in [t_i, t'_i]) \right\}$$

$act(u, t)$ gives the activity u is in at time t .

Then :

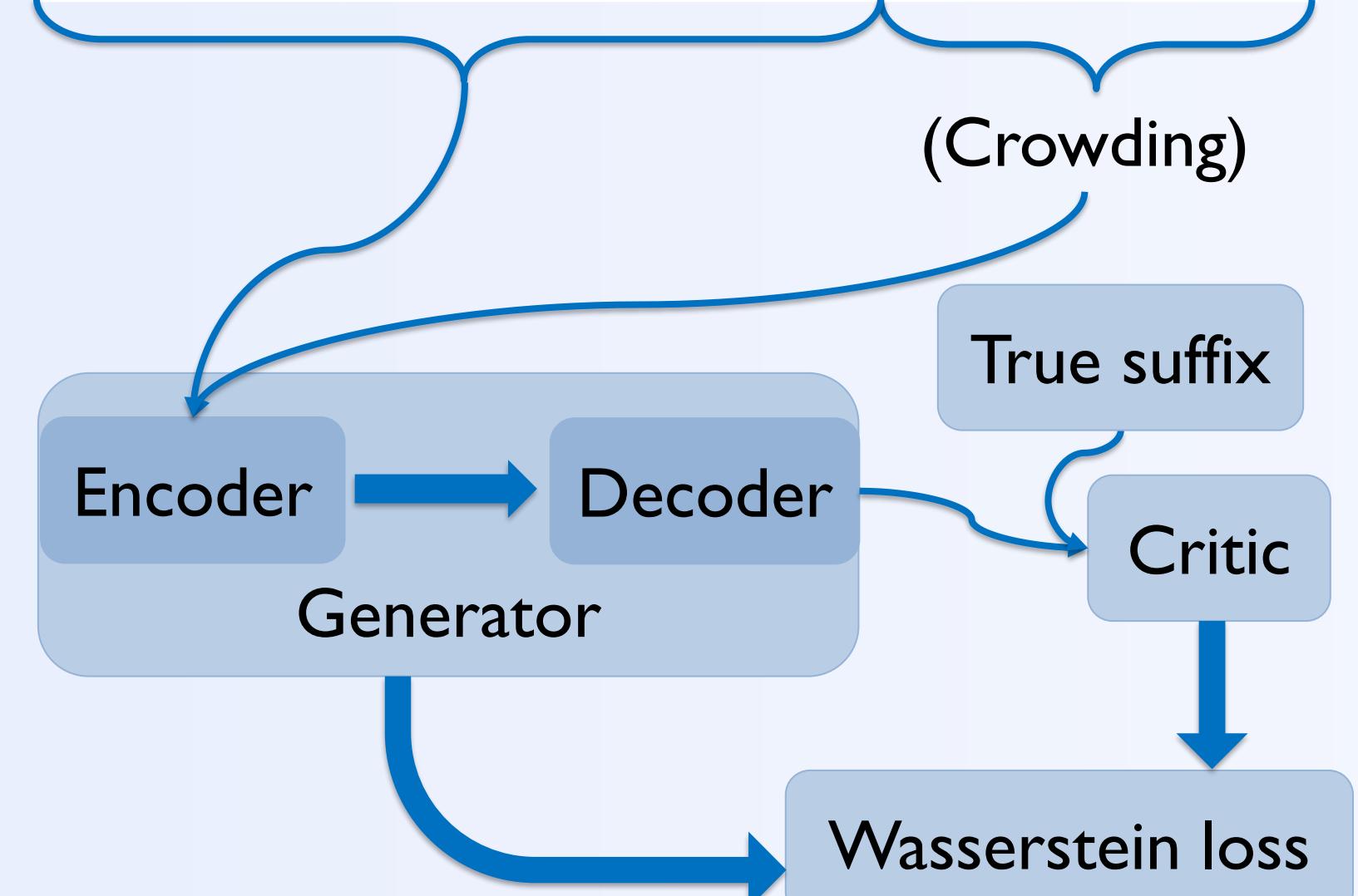
$$C(t) = \left(\sum_{i=1}^n \mathbb{I}\{u_i; act(u_i, t) = a\}, a = a_1, \dots, a_{|A|} \right)$$

$C(t)$ gives the crowding of all activities at time t .



Methods

Case ID	Activity	Date	A1	A2	A3
UI	A1	t1	10	5	35
UI	A2	t2	9	6	28



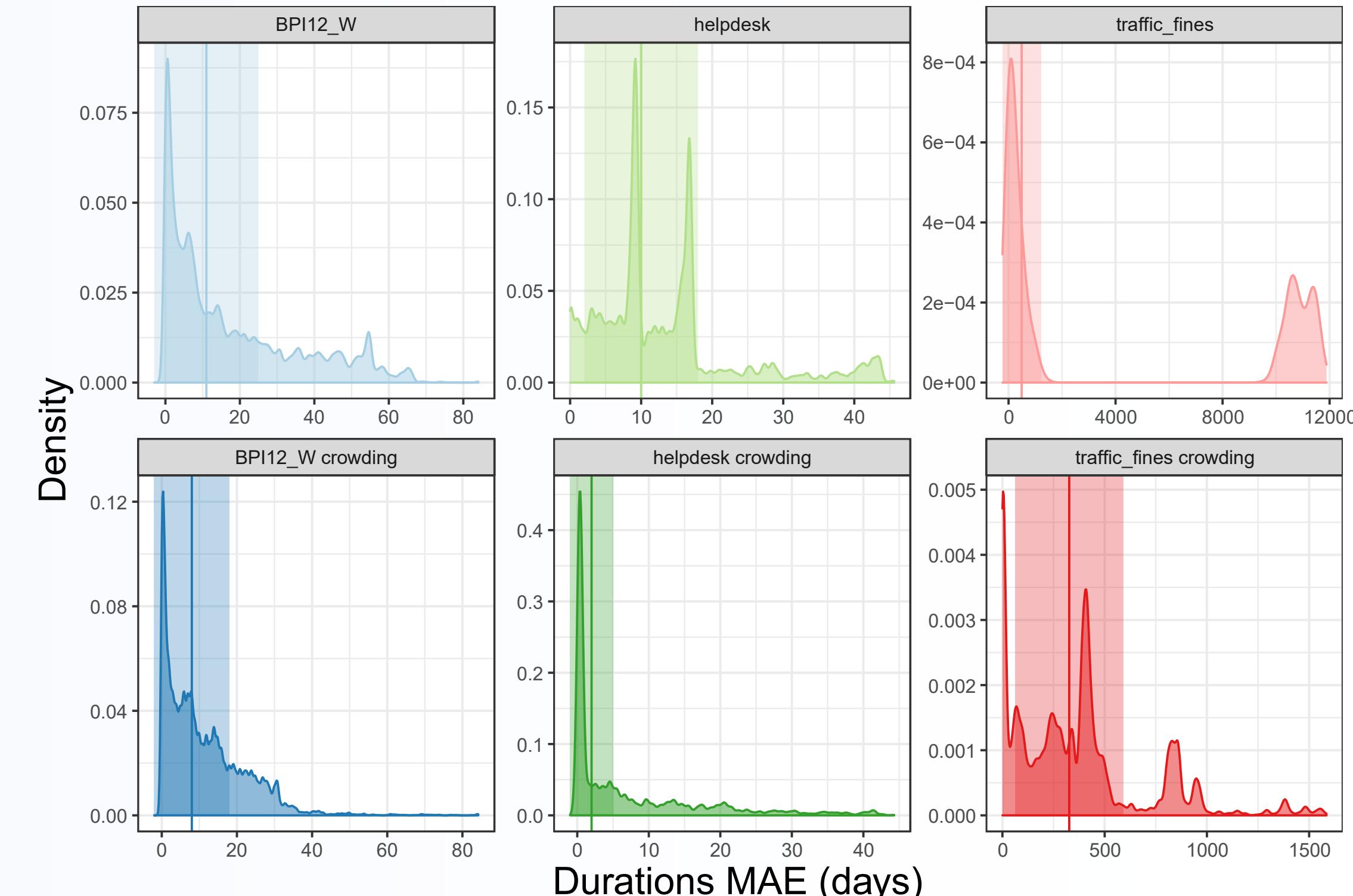
Results

$$\frac{\frac{1}{n} \sum_{i=1}^n |\hat{t}_i^{\text{crowd}} - t_i|}{\frac{1}{n} \sum_{i=1}^n |\hat{t}_i - t_i|} :$$

- BPI 2012 (W) : **0,538**
- Helpdesk : **0,611**
- Traffic fines : **0,086**

$$\frac{\frac{1}{n} \sum_{i=1}^n \text{DL}(\hat{y}_i^{\text{crowd}}, y_i)}{\frac{1}{n} \sum_{i=1}^n \text{DL}(\hat{y}_i, y_i)} :$$

- BPI 2012 (W) : **1,04**
- Helpdesk : **0,98**
- Traffic fines : **1,01**



Conclusions

- **Crowding greatly improves times predictions**
 - Like a GPS: including traffic is better
- **Precision of activity predictions** is maintained
- **Wasserstein loss makes training way more stable**

References

1. F. Taymouri et M. L. Rosa, Encoder-Decoder Generative Adversarial Nets for Suffix Generation and Remaining Time Prediction of Business Process Models, 2020. arXiv : 2007.16030[cs.LG]
2. M. Arjovsky et al., Wasserstein GAN, 2017. arXiv : 1701.07875 [stat.ML]
3. M. Mirza et S. Osindero, Conditional Generative Adversarial Nets, 2014. arXiv : 1411.1784 [cs.LG]